

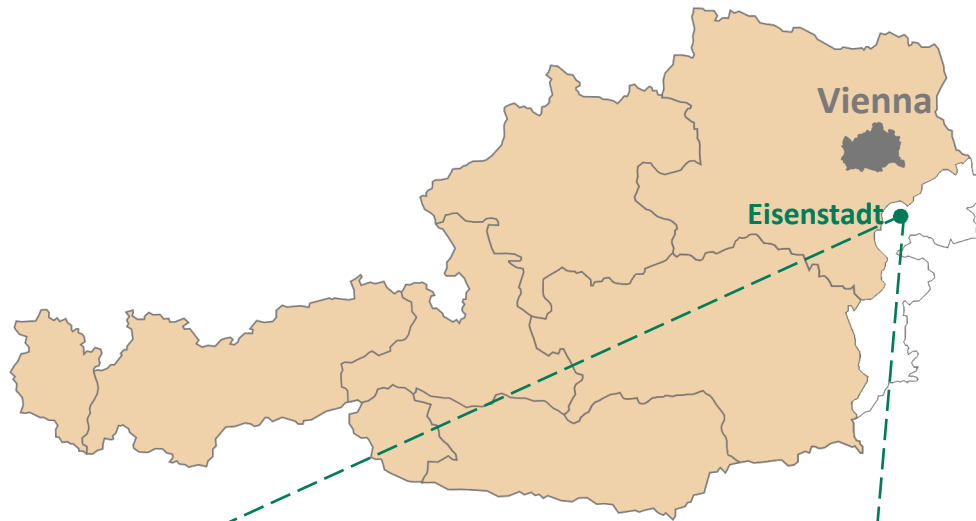
# A Framework for Measuring, Normalising and Aggregating Security Costs in Cyber-Physical Systems

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9 July 2020

Igor Ivkić

[i.ivkic@lancaster.ac.uk](mailto:i.ivkic@lancaster.ac.uk)



Research & Teaching

PhD (3<sup>rd</sup> year)

## Modelling Security Costs in Self-Adaptable Cyber-Physical Systems

- Supervisors:
  - Antonios Gouglidis
  - Andreas Mauthe
  - Markus Tauber

# Agenda

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- Cyber-Physical Systems
- Onion Layer Model
- Experimental Setup
- Results
- Conclusions

# A brief introduction to *Security Costs*

Our genes are selfish!

Why are we  
the way we are?

Broad applicability of the  
“Selfish Gene”-theory  
among flora and fauna.

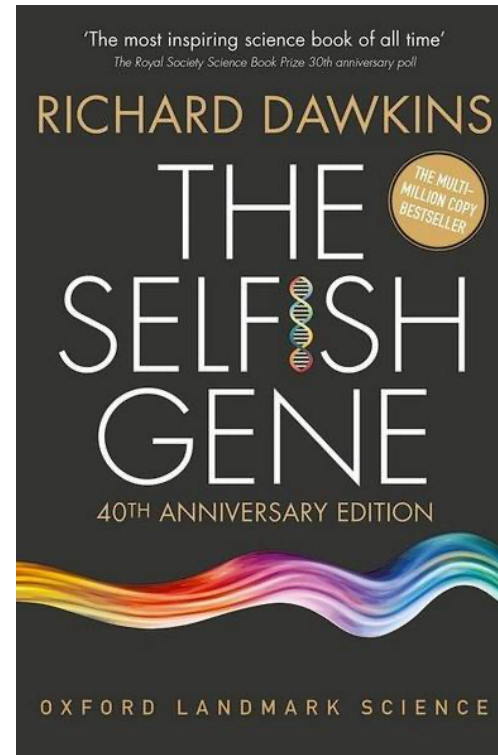


Fig. 1: *The Selfish Gene* (Dawkins, 1976)

Why do certain animals  
have a certain number of  
children (offspring)?



Why does a specific  
species of birds only lay a  
total of 5 eggs max?  
Why not more?



# A brief introduction to *Security Costs*

- Robert Trivers
  - Parental Investment and Sexual Selection (1972)
- How much does it **cost** to be a parent?
- How much kilocalories (kcal) do parents keep for themselves?
- Result: bird-parents lose weight during “feeding time”!



Fig. 2: Blackbird mother feeding her offspring (RNZ, 2016)

# Definition of Cyber-Physical Systems

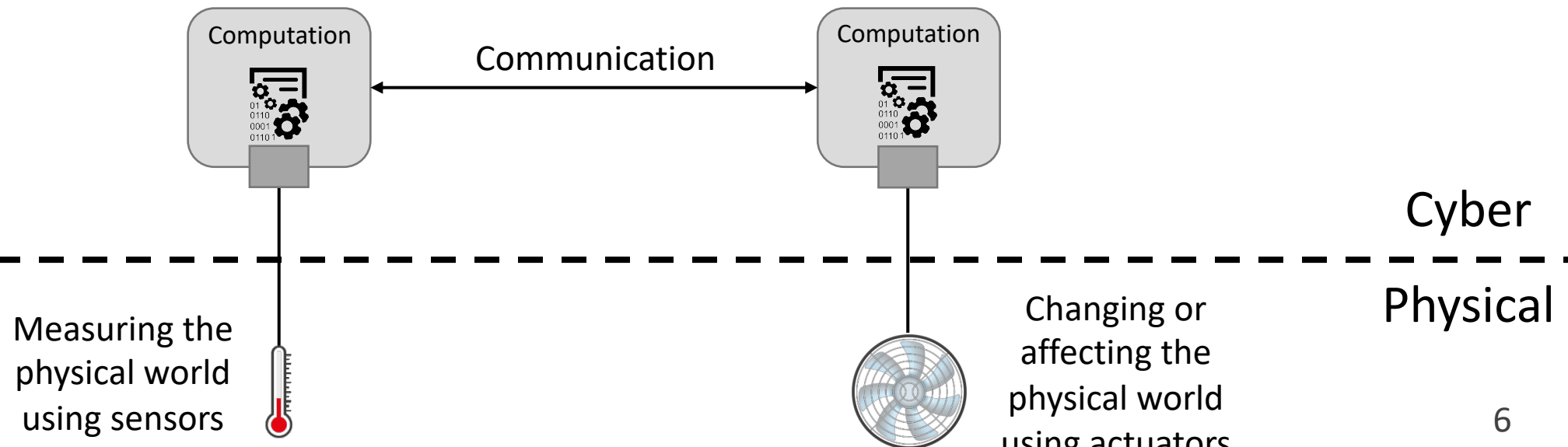


Fig. 3: Closed-Loop Control Logic (adapted from Rajkumar et al., 2016)



# Security Costs and Cyber-Physical Systems

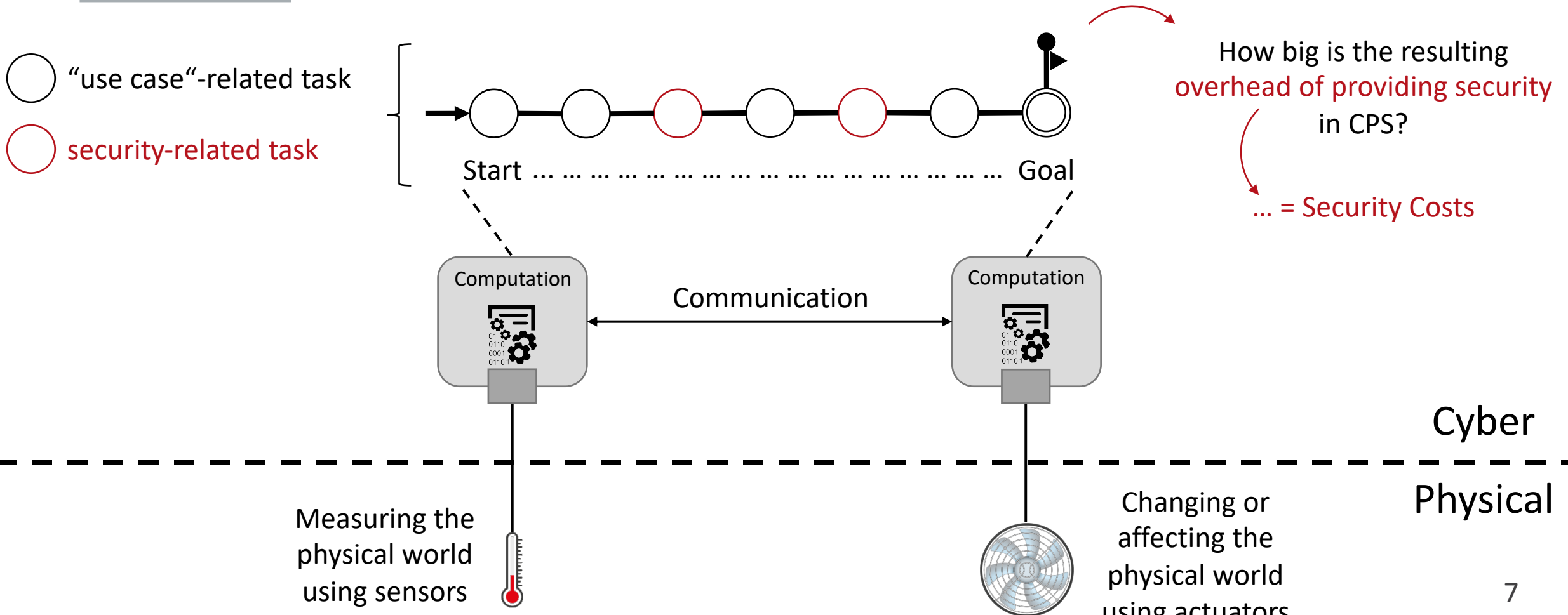
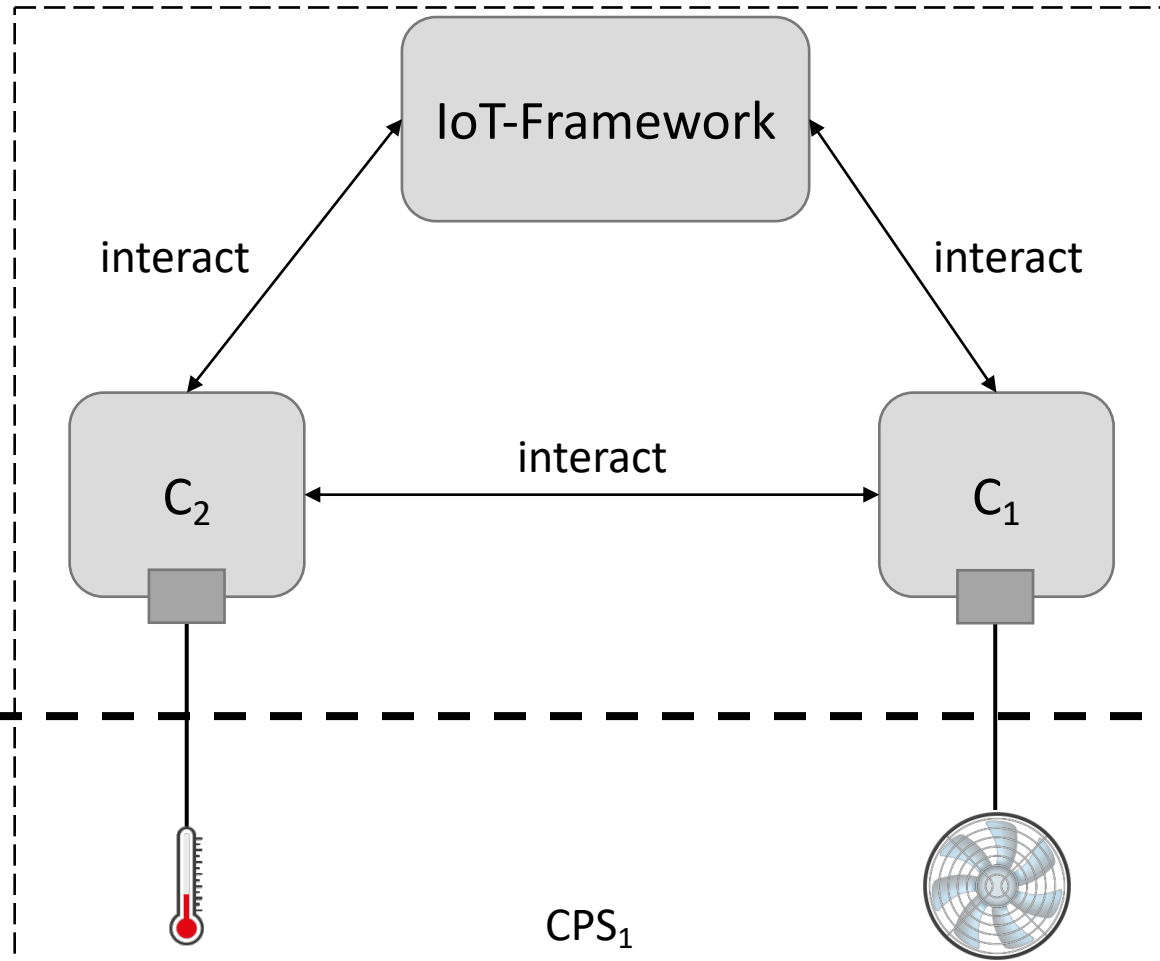


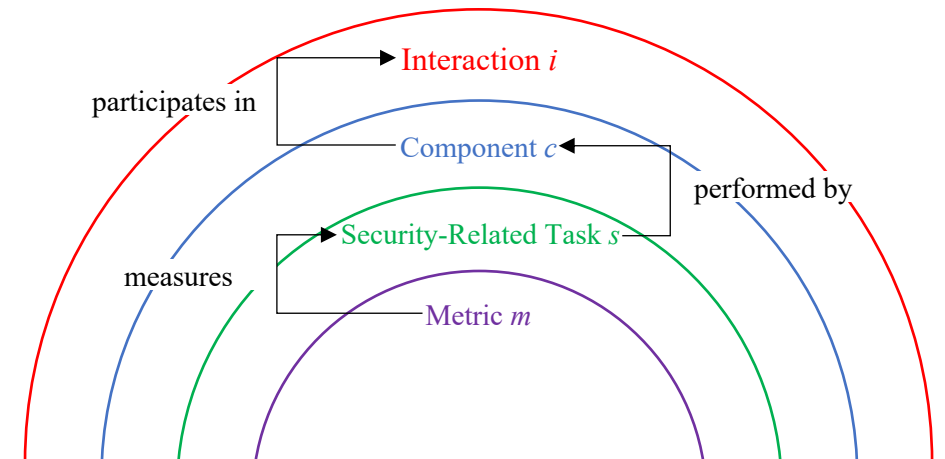
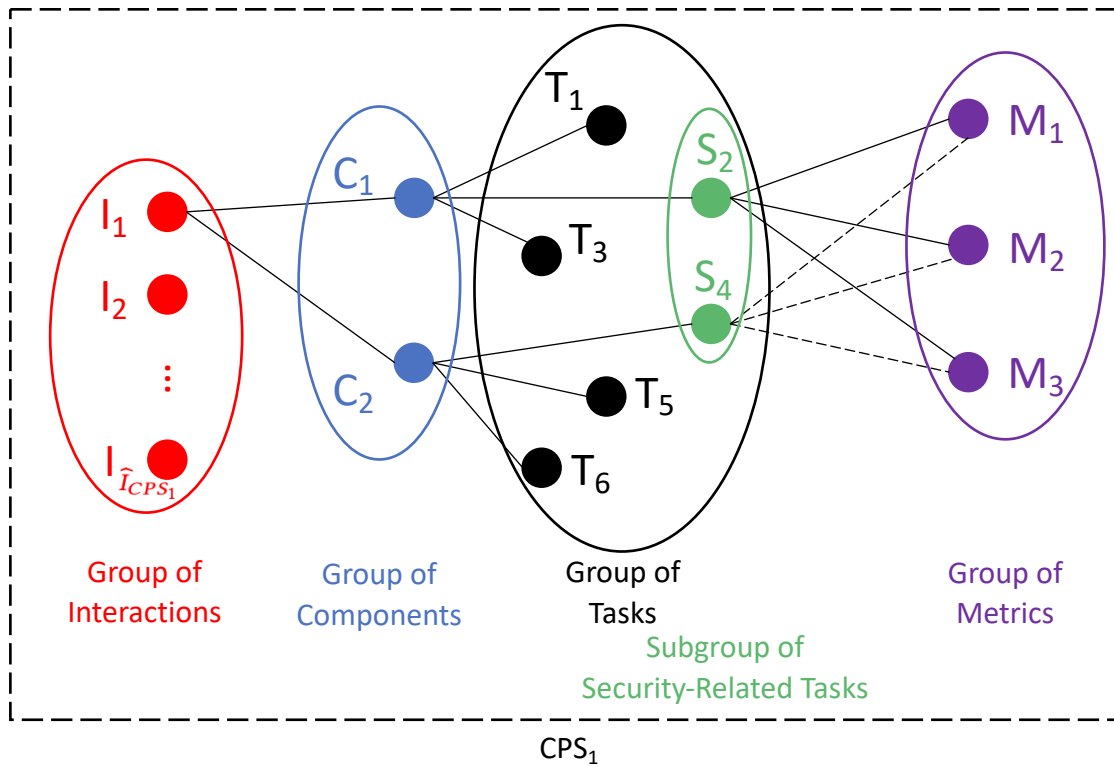
Fig. 3: Closed-Loop Control Logic (adapted from Rajkumar et al., 2016)

# CPS & IoT & Frameworks



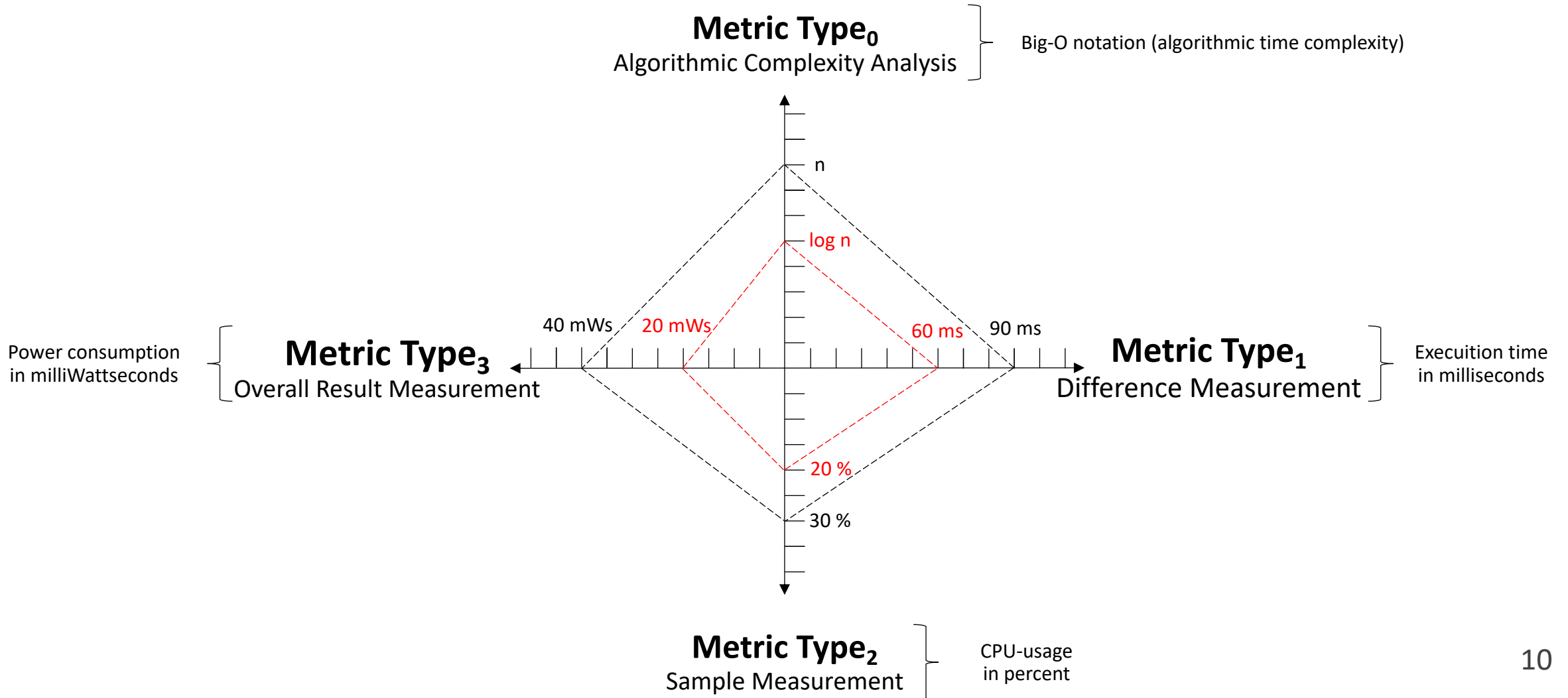
Cyber  
Physical

# Modelling Security Costs in CPS



$$SecurityCosts_{CPS_1} = \sum_{i=1}^{\hat{I}_{CPS_1}} \sum_{c=1}^{\hat{C}_i} \sum_{s=1}^{\hat{S}_c} \sum_{m=1}^{\hat{M}_s}$$

# Metric Types



# Modelling Security Costs in CPS

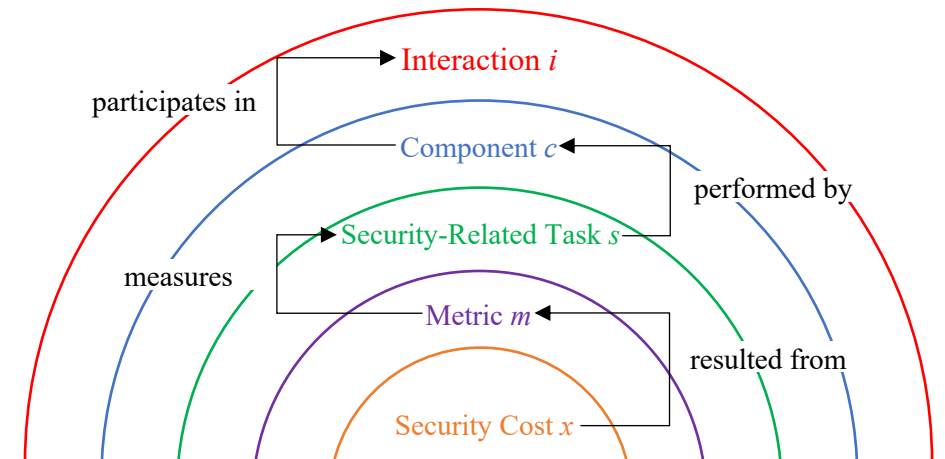
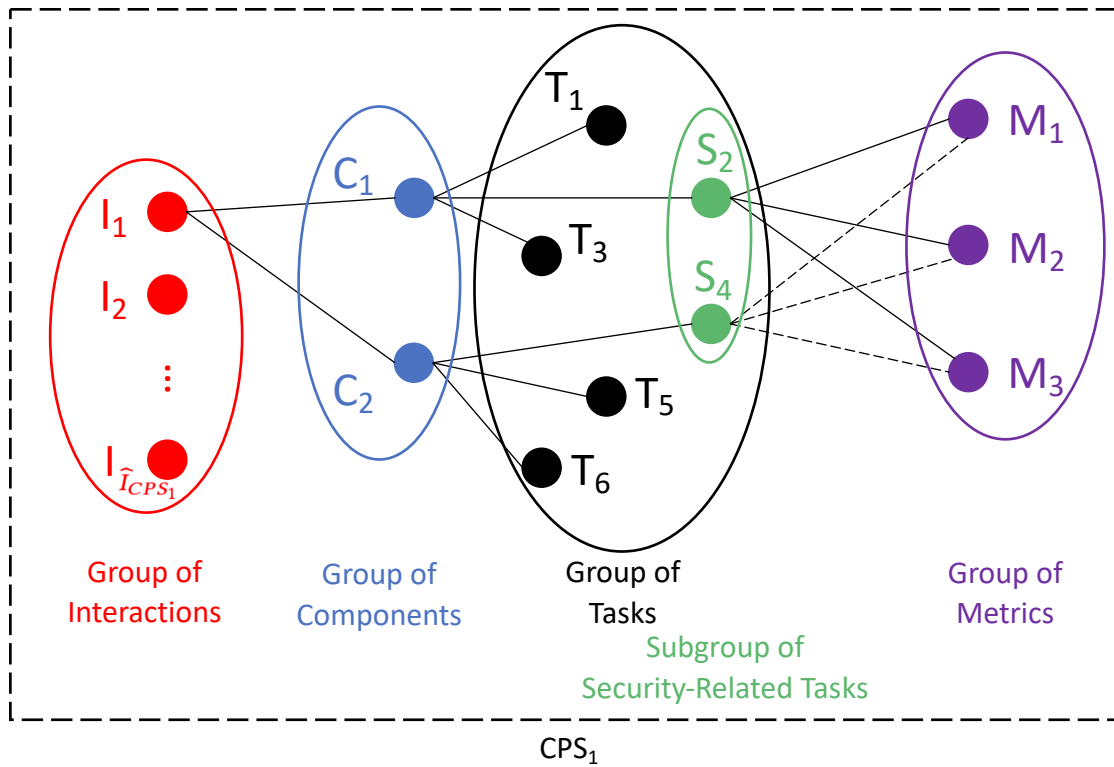


Fig. 4: Onion Layer Model (Ivkic et al., 2019)

$$SecurityCosts_{CPS_1} = \sum_{i=1}^{\hat{I}_{CPS_1}} \sum_{c=1}^{\hat{C}_i} \sum_{s=1}^{\hat{S}_c} \sum_{m=1}^{\hat{M}_s} \dot{x}_{icsm} * w_{MT_j}$$



# Normalisation and Weight-Calculation

Raw measurement data

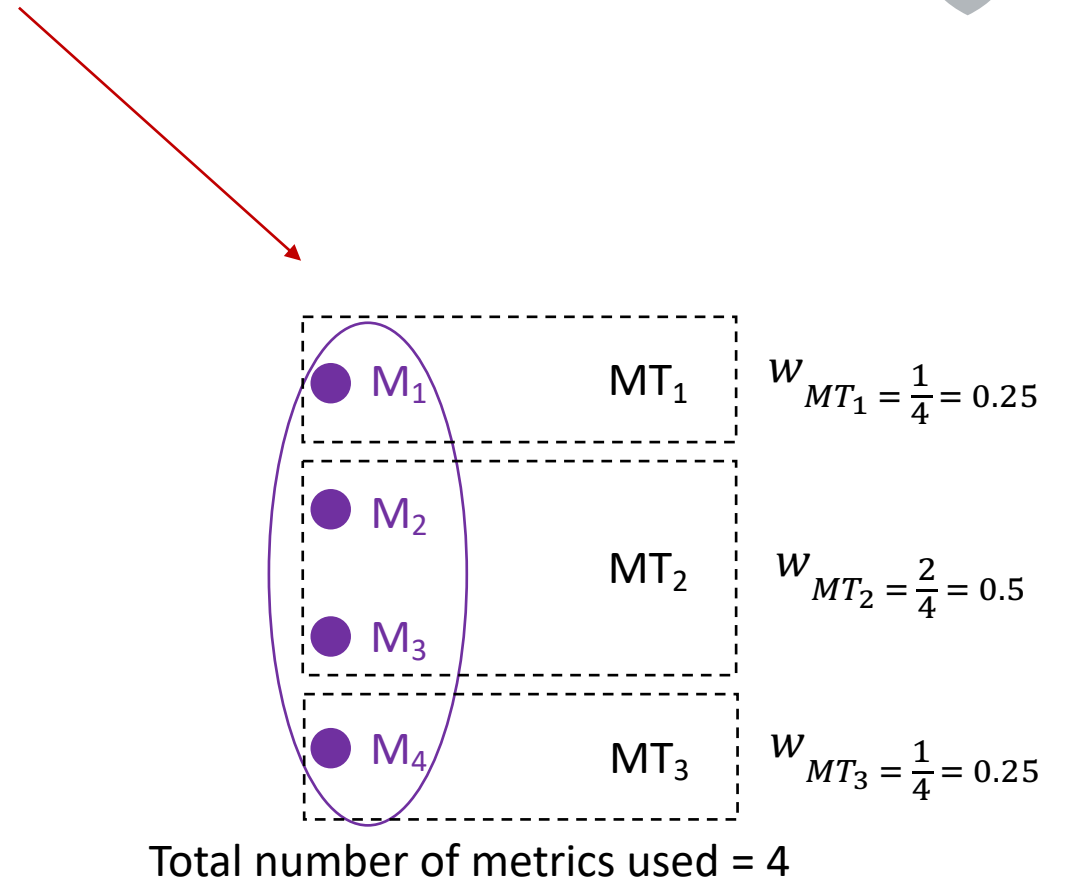
Tasks	Metrics			
	M1	M2	M3	M4
T1	10 ms	5 %	20 MB	3 Ws
T2	12 ms	10 %	30 MB	9 Ws

MIN-MAX Normalisation

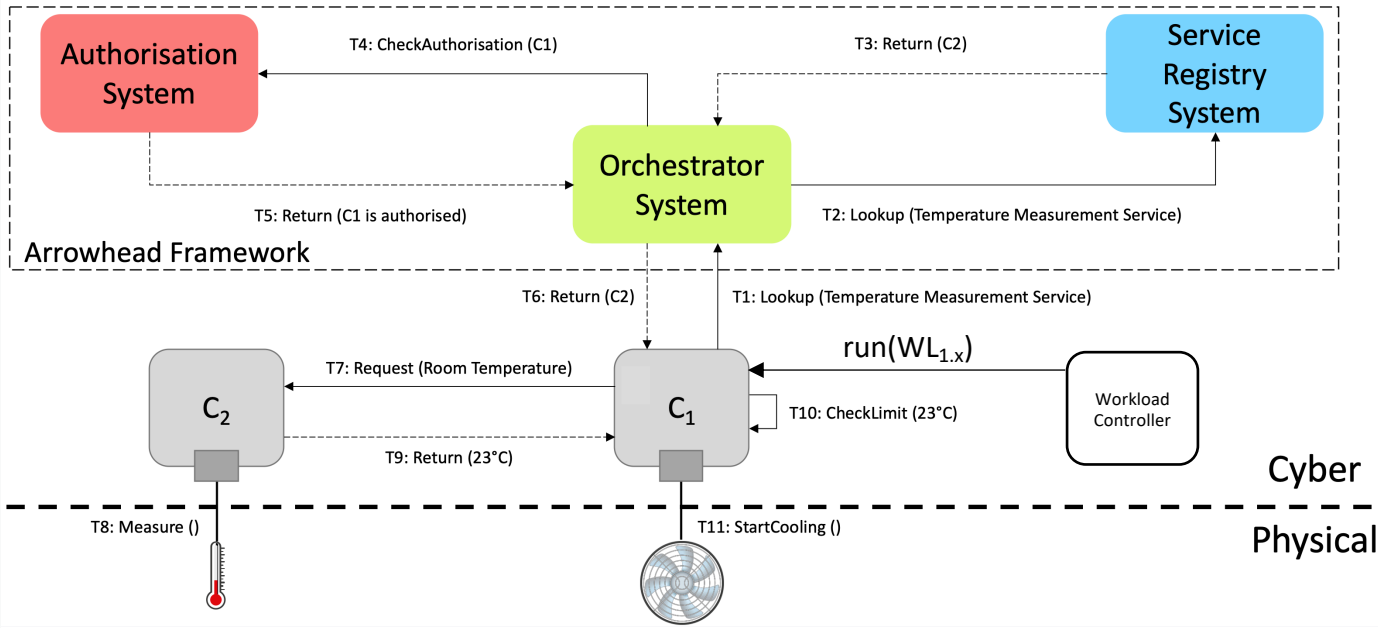
$$\hat{x} = a + \frac{(x - MIN_{MT_j}) * (b - a)}{MAX_{MT_j} - MIN_{MT_j}}$$

Normalised data

Tasks	Metrics			
	M1	M2	M3	M4
T1	0,1	0,05	0,4	0,3
T2	0,12	0,1	0,6	0,9

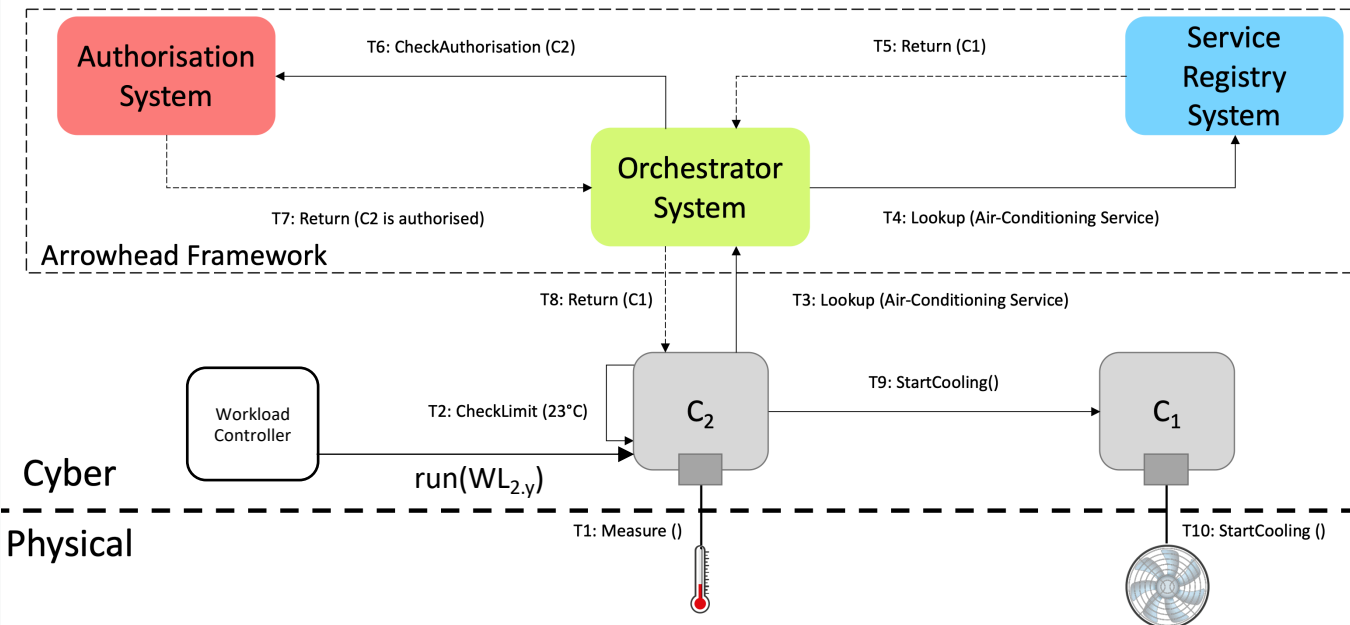






Use Case 1

vs.



Use Case 2

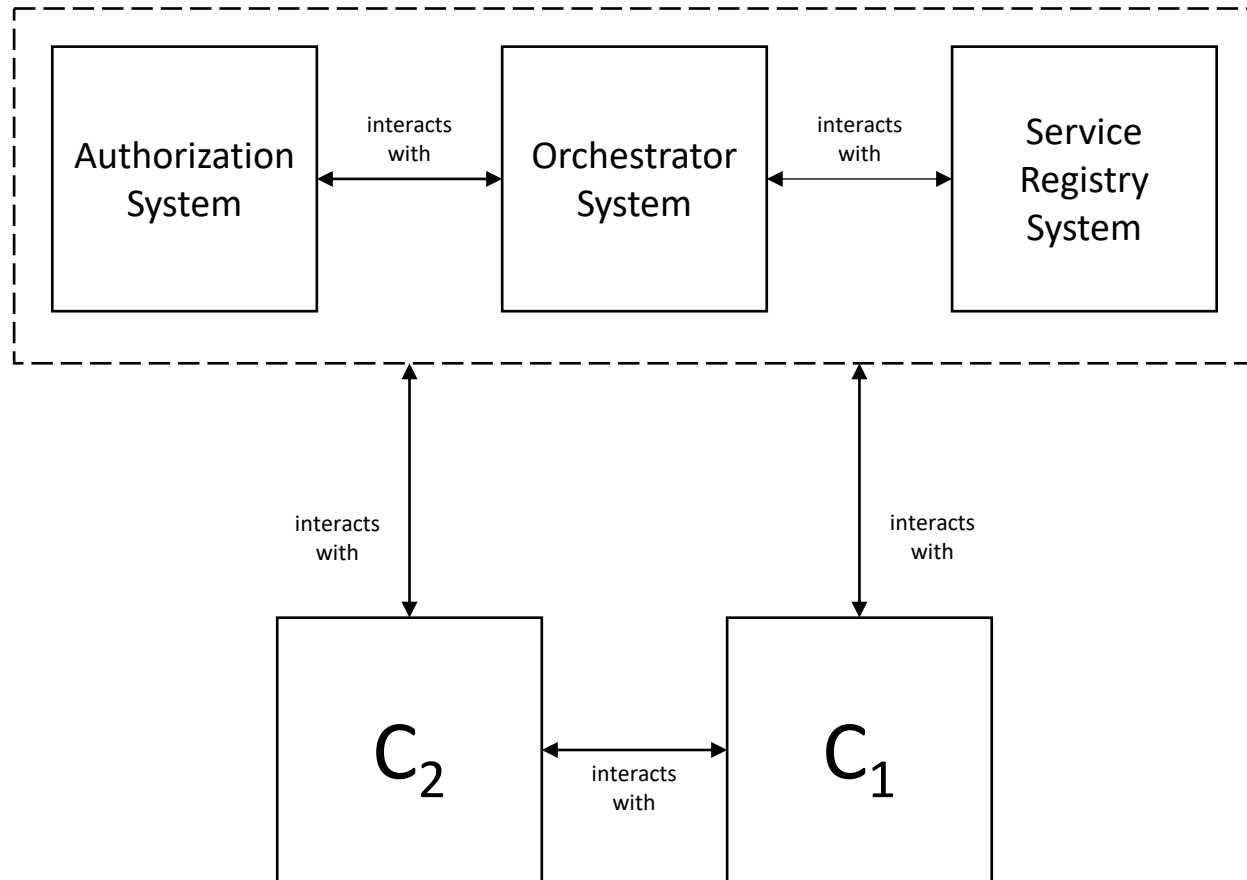
Table 1: Workloads used by the Workload Controller for the Experimental Study

WL	Use Case	Runs	Temperature	Protocol
WL <sub>1.1</sub>	Use Case 1	25	Measurement <25°C	HTTPS
		25	Measurement >25°C	
WL <sub>1.2</sub>	Use Case 1	25	Measurement <25°C	HTTP
		25	Measurement >25°C	
WL <sub>2.1</sub>	Use Case 2	25	Measurement <25°C	HTTPS
		25	Measurement >25°C	
WL <sub>2.2</sub>	Use Case 2	25	Measurement <25°C	HTTP
		25	Measurement >25°C	

Table 2: Measurement Metrics used for Measuring Security Costs for each Workload

Metric Type	Metric	Unit
MT <sub>0</sub>	Algorithmic Time Complexity (Big-O)	-
MT <sub>1</sub>	Duration of executing a specific task	Milliseconds (ms)
MT <sub>2</sub>	CPU-usage	Percent (%)
MT <sub>3</sub>	Power consumption	Milliwattseconds (mWs)

# “Testbed”

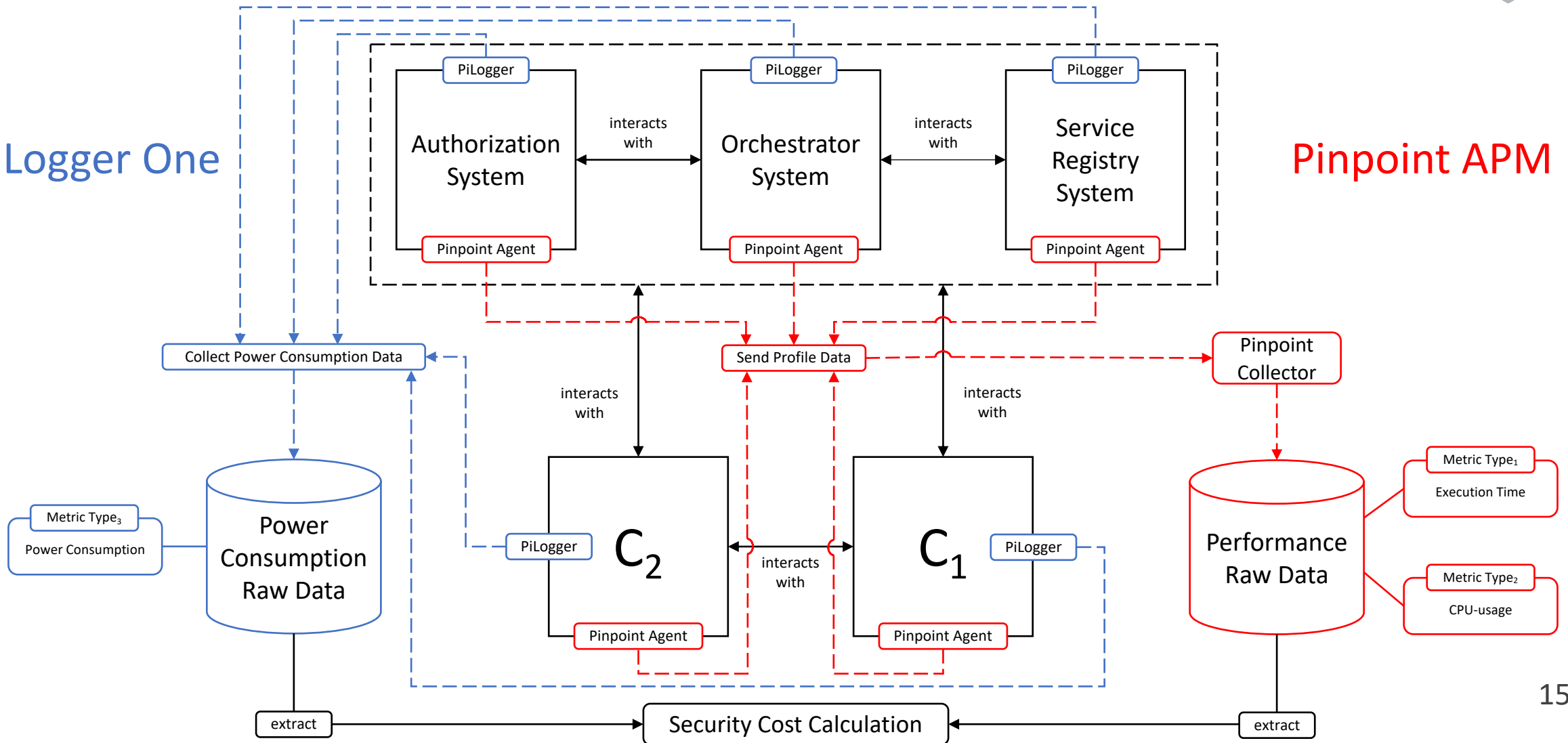




# Measurement Tools and Metrics

PiLogger One

Pinpoint APM



# PiLogger One & Pinpoint APM



## PiLogger One

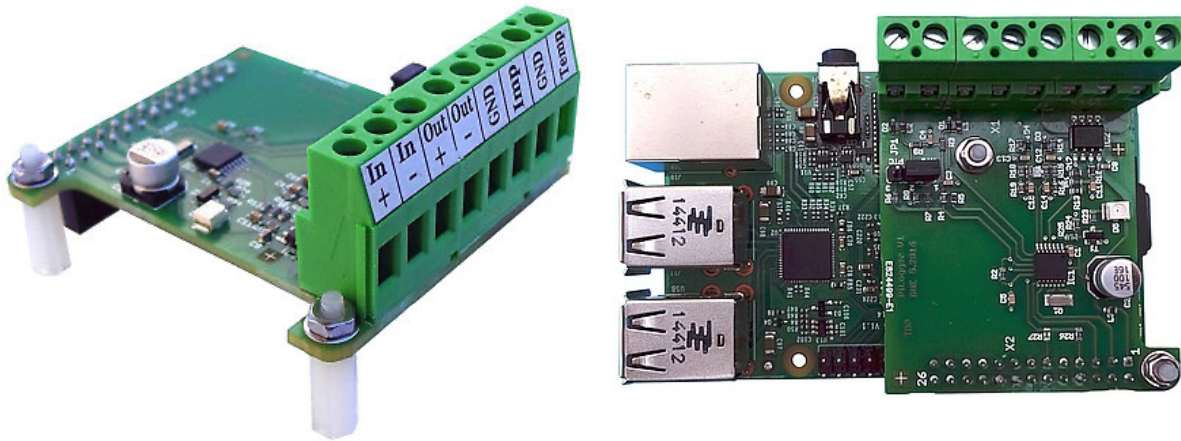


Fig. 5: Raspberry Pi add-on board for measuring power consumption (PiLogger, 2020)

## Pinpoint APM

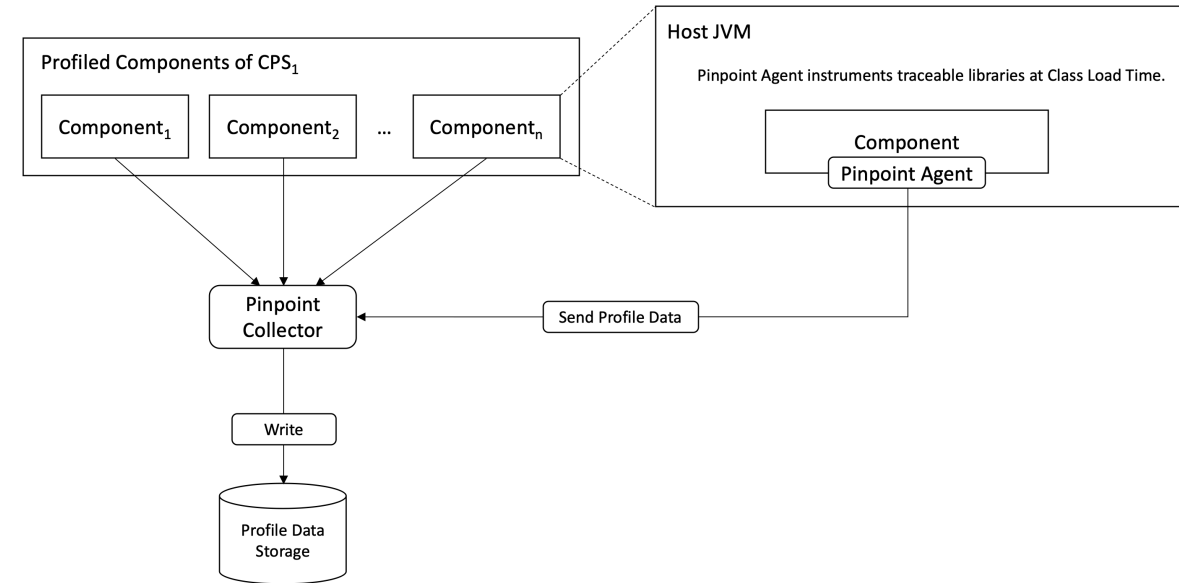


Fig. 6: Pinpoint Application Performance Management Architecture (Naver, 2020)

# Security Cost Modelling Framework (SCMF)

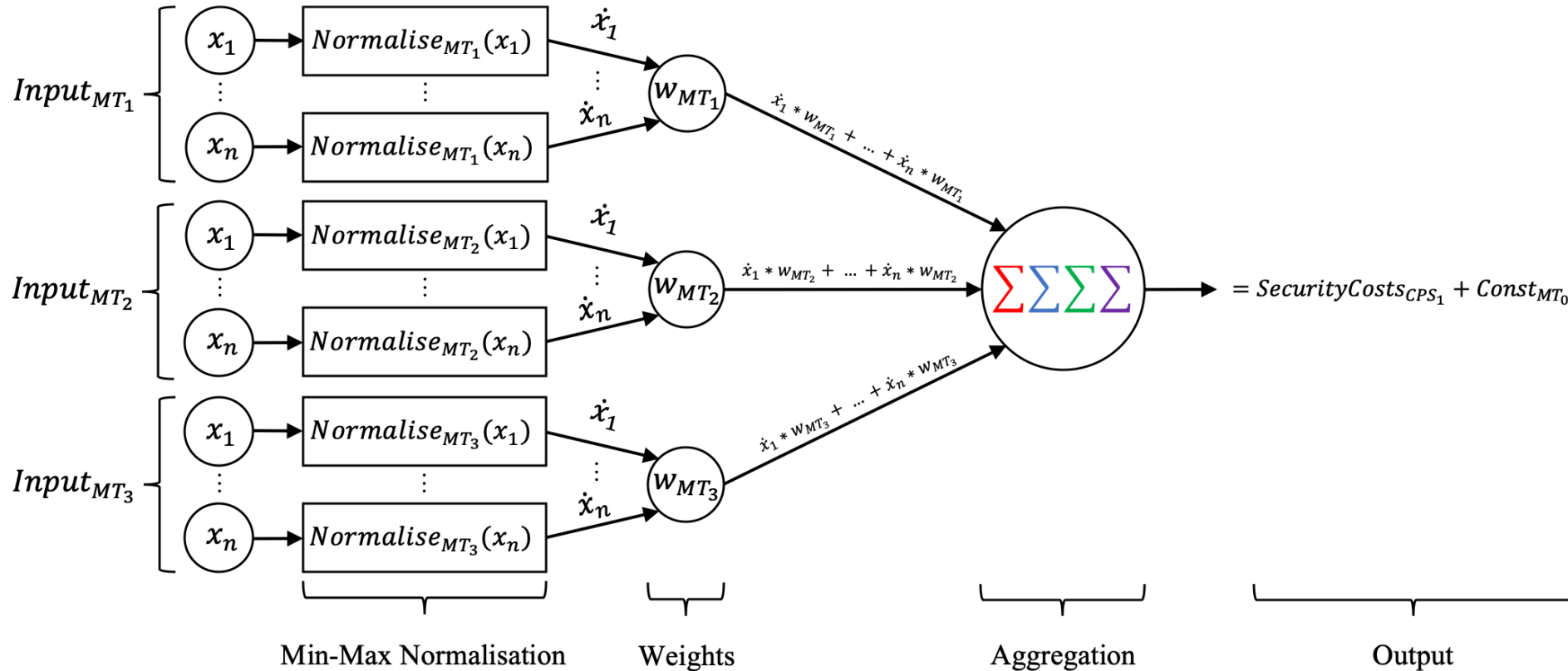


Fig. 7: A Holistic Approach for Normalising, Weighing and Aggregating Security Costs

# Discussion



Table 3: Total Costs per Workload

WL	Measurement	Total Costs						$\Sigma$
		Min	Max	Median	Mean	Std.Dev.	Std.Err.	
WL <sub>1.1</sub>	< 25°C	0.00083	0.36000	0.01800	0.04377	0.05060	0.00221	53.92297
	> 25°C	0.00100	0.28755	0.02200	0.05894	0.07366	0.00321	
WL <sub>1.2</sub>	< 25°C	0.00070	0.34000	0.02100	0.04876	0.05830	0.00254	53.51435
	> 25°C	0.00089	0.39874	0.02000	0.05317	0.06804	0.00297	
WL <sub>2.1</sub>	< 25°C	0	0.08281	0	0.00472	0.01431	0.00062	36.15943
	> 25°C	0.00100	0.44075	0.02642	0.06415	0.08218	0.00359	
WL <sub>2.2</sub>	< 25°C	0	0.10100	0	0.00480	0.01471	0.00064	31.57160
	> 25°C	0.00100	0.37200	0.02066	0.05534	0.07307	0.00319	

Table 4: Security Costs per Workload

WL	Measurement	Security Costs						$\Sigma$
		Min	Max	Median	Mean	Std.Dev.	Std.Err.	
WL <sub>1.1</sub>	< 25°C	0.00267	0.13728	0.01500	0.04714	0.05065	0.00414	17.61541
	> 25°C	0.00267	0.27930	0.02231	0.07030	0.08565	0.00699	
WL <sub>1.2</sub>	< 25°C	0.00244	0.16359	0.01400	0.04861	0.05337	0.00436	16.08108
	> 25°C	0.00178	0.23166	0.01500	0.05859	0.07342	0.00599	
WL <sub>2.1</sub>	< 25°C	0	0	0	0	0	0	10.97640
	> 25°C	0.00267	0.29200	0.02486	0.07318	0.08504	0.00694	
WL <sub>2.2</sub>	< 25°C	0	0	0	0	0	0	10.02343
	> 25°C	0.00200	0.31474	0.02239	0.06682	0.08074	0.00659	

Use Case 1:  $SecurityCosts_{CPS_1} = (53.92297 - 53.51435) + 17.61541 = 18.02403 + \boxed{f_{MT_0}(n)}$   
 Use Case 2:  $SecurityCosts_{CPS_1} = (36.15943 - 31.57160) + 10.97640 = 15.56423 + \boxed{f_{MT_0}(n)}$

$\rightarrow$  Algorithmic Complexity Constants

# Discussion



≈ 30% of all tasks performed are security-related

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WL <sub>2.2</sub>	< 25°C	0	0.10100	0	0.00480	0.01471	0.00064	31.57160
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WL <sub>2.1</sub>	< 25°C	0	0	0	0	0	0	10.97640
	> 25°C	0.00267	0.29200	0.02486	0.07318	0.08504	0.00694	
WL <sub>2.2</sub>	< 25°C	0	0	0	0	0	0	10.02343
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Algorithmic Complexity Constants



# Discussion

The cost of "S" in HTTPS

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Algorithmic Complexity Constants



# Discussion



In general: Use Case 2 performs better than Use Case 1 ←

Table 3: Total Costs per Workload

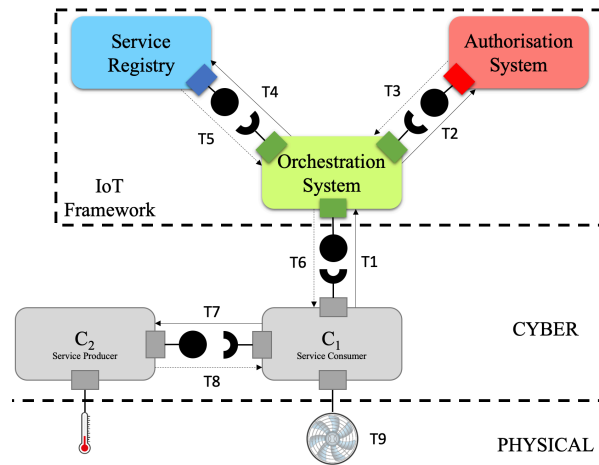
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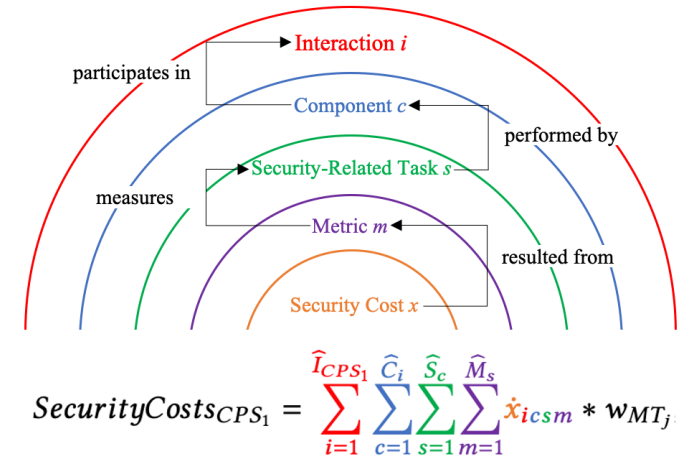
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 \end{aligned}
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# Summary & Future Work

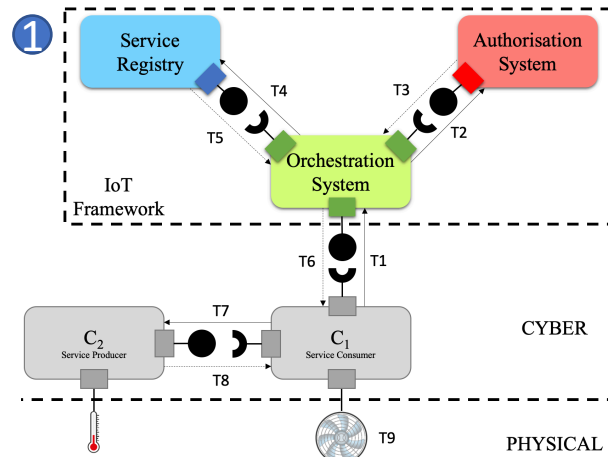


Output 1  
 normalisation,  
 weighting &  
 aggregation

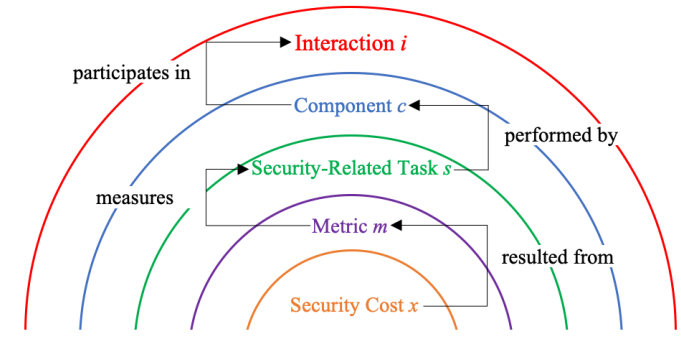


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# Summary & Future Work

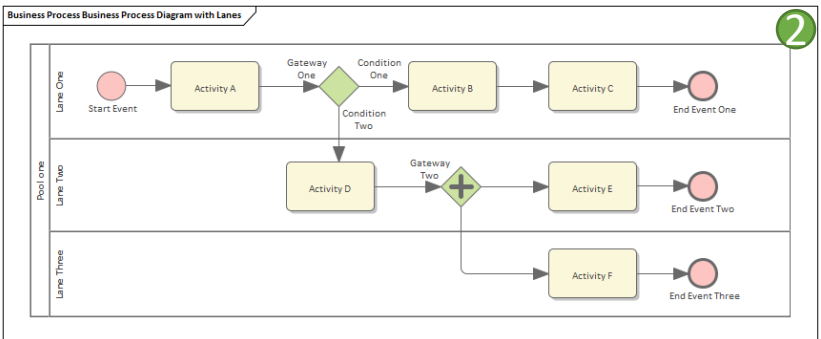


Output 1  
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Interaction  
 Visualisation  
 Output 2



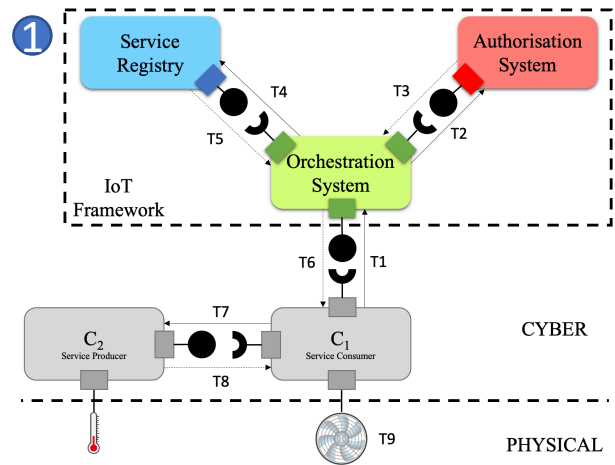
incl. comparing the planned and the actual workflow of the CPS  
 “CPS-as-it-should-be” vs. “CPS-as-it-is”

1

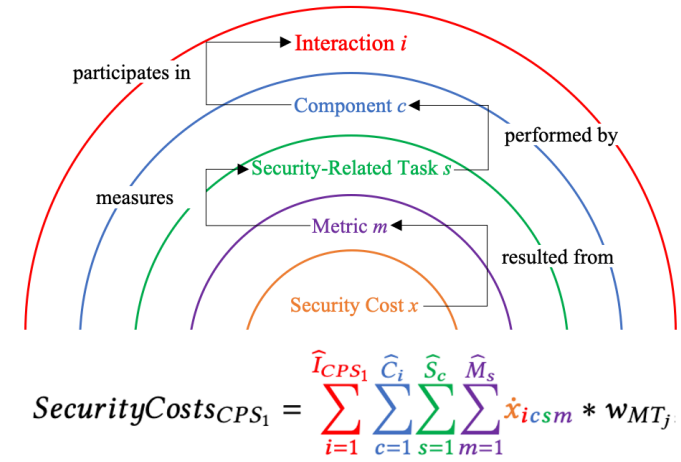
2



# Summary & Future Work

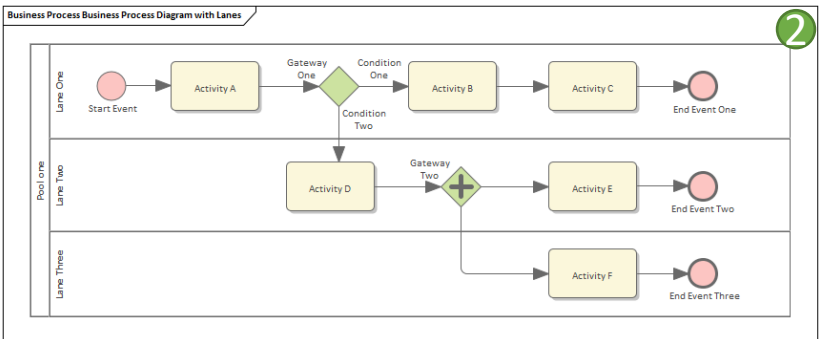


Output 1  
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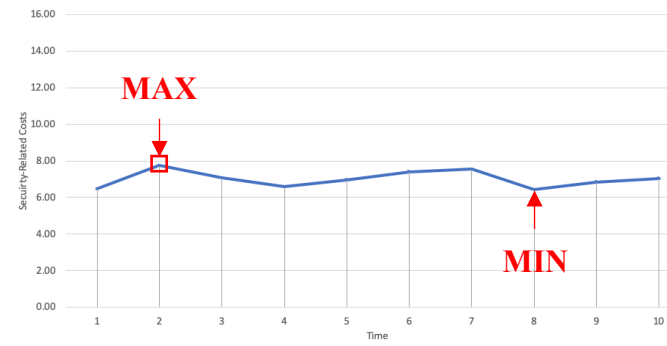


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Interaction  
 Visualisation  
 Output 2



Monitoring the  
 Security Costs  
 over time  
 Output 3

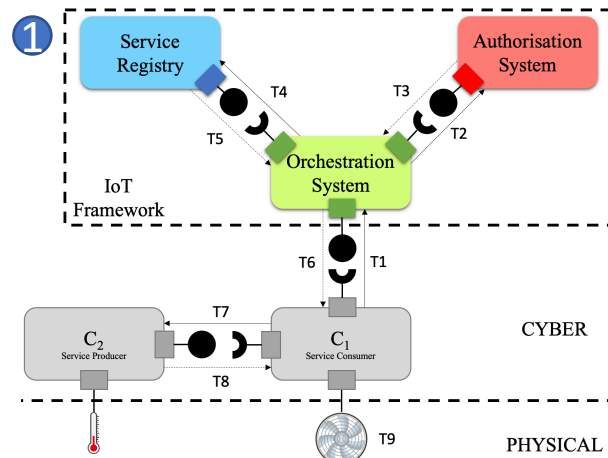


direct  
 relation

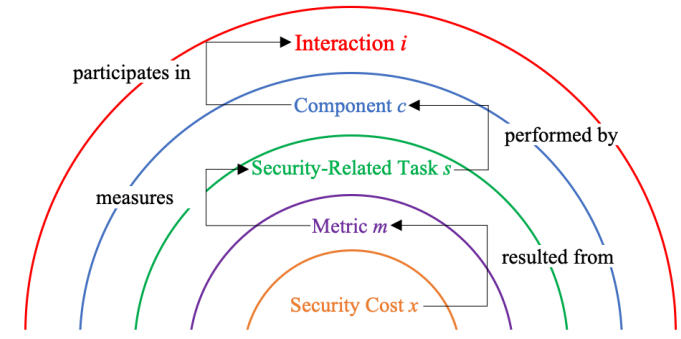
incl. comparing the planned and the actual workflow of the CPS  
 “CPS-as-it-should-be” vs. “CPS-as-it-is”  
 ① ②

know the “nature” of security costs of a CPS  
 in case security costs rise above MAX or drop below MIN:  
 -) identify affected/responsible components

# Summary & Future Work

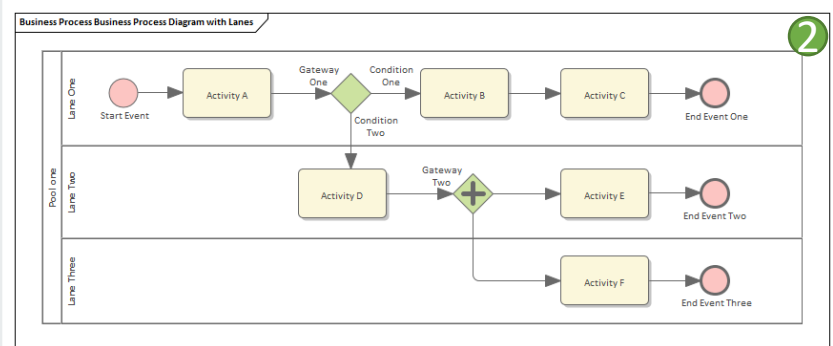


Output 1  
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 aggregation



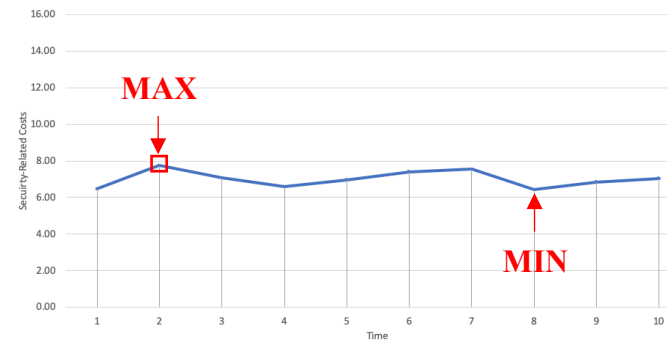
$$SecurityCosts_{CPS_1} = \sum_{i=1}^{\hat{I}_{CPS_1}} \sum_{c=1}^{\hat{C}_i} \sum_{s=1}^{\hat{S}_c} \sum_{m=1}^{\hat{M}_s} \hat{x}_{icsm} * w_{MT_j}$$

Interaction  
 Visualisation  
 Output 2



incl. comparing the planned and the actual workflow of the CPS  
 “CPS-as-it-should-be” vs. “CPS-as-it-is”  
 ① ②

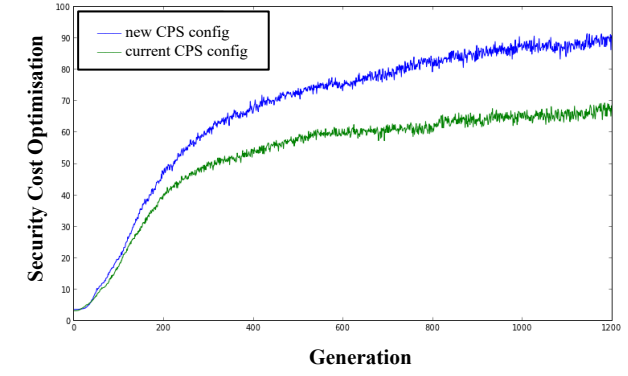
Monitoring the  
 Security Costs  
 over time  
 Output 3



direct  
 relation

direct  
 relation

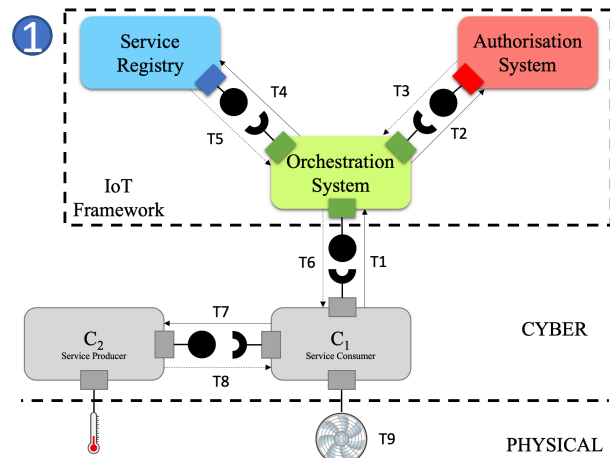
Simulation  
 &  
 Optimisation  
 Output 4



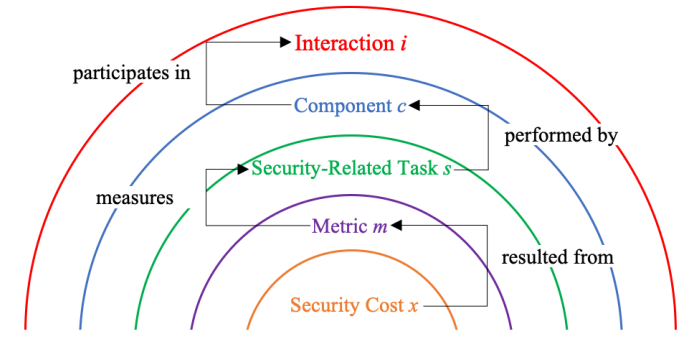
usage of genetic and selective algorithms to simulate  
 possible interaction configurations (e.g. protocols)  
 and measure their resulting security costs



# Summary & Future Work

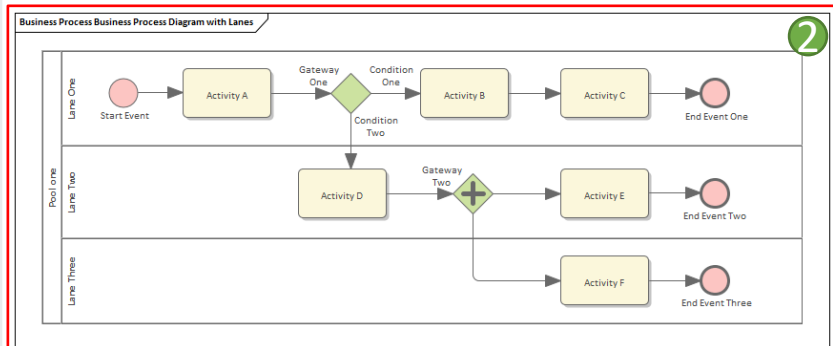


Output 1  
 normalisation,  
 weighting &  
 aggregation



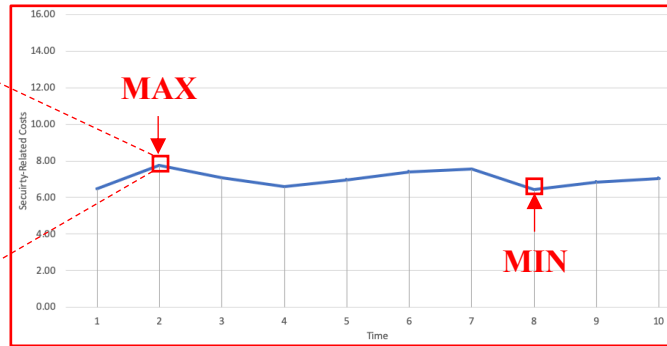
$$SecurityCosts_{CPS_1} = \sum_{i=1}^{\hat{I}_{CPS_1}} \sum_{c=1}^{\hat{C}_i} \sum_{s=1}^{\hat{S}_c} \sum_{m=1}^{\hat{M}_s} \dot{x}_{icsm} * w_{MT_j}$$

Interaction  
 Visualisation  
 Output 2



incl. comparing the planned and the actual workflow of the CPS  
 “CPS-as-it-should-be” vs. “CPS-as-it-is”  
 ① ②

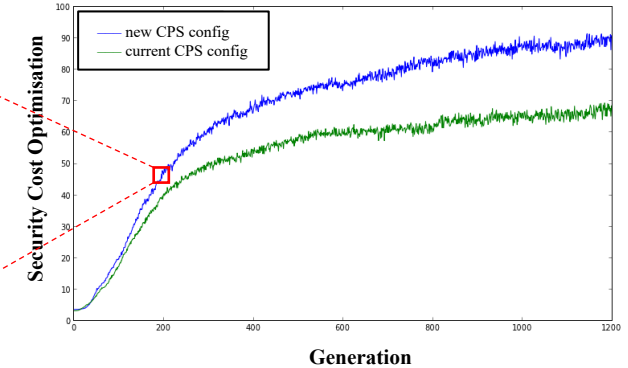
Monitoring the  
 Security Costs  
 over time  
 Output 3



direct  
 relation

direct  
 relation

Simulation &  
 Optimisation  
 Output 4



usage of genetic and selective algorithms to simulate  
 possible interaction configurations (e.g. protocols)  
 and measure their resulting security costs

# Thank you for your attention

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ORCID iD

 <https://orcid.org/0000-0003-3037-7813>

Google Scholar

<https://scholar.google.at/citations?user=eWmRzy0AAAAJ&hl=de&oi=ao>

arXiv

<https://arxiv.org/search/cs?searchtype=author&query=lvkic%2C+l>